

CHAPTER 5 : INTRODUCTION TO COMPUTER SIMULATION

MATLAB (MAThematical LABoratory) Version 7

A) INPUTS

- **Polynomials** : $P_1 = s^3 + 7s^2 - 3s + 23$
 - `>> P1=[1 7 -3 23]`
- **Polynomials in factor form** : $P_2 = (s + 2)(s + 5)(s + 6)$
 - `>> P2=poly([-2 -5 -6])`

B) DISPLAYS & ALGEBRAIC SOLUTIONS

- **To display variables** :
 - `>> P1`
 - `>> P2`
- **Finding roots of polynomials** : using the *roots()* command
 - `>> rootsP1=roots(P1)`
- **Multiplying polynomials** : using the *conv(a,b)* command
 - $P_3 = (s^3 + 7s^2 + 10s + 9)(s^4 - 3s^3 + 6s^2 + 2s + 1)$
 - `>> a=[1 7 10 9]`
 - `>> b=[1 -3 6 2 1]`
 - `>> P3=conv(a,b)`

C) CREATING TRANSFER FUNCTIONS

- **Basic : 2 forms,**
- **Polynomial form – numerator poly. is divided by denominator poly.**

$$- G_1(s) = \frac{150(s^2 + 2s + 7)}{s(s^2 + 5s + 4)} = \frac{150(s^2 + 2s + 7)}{s^3 + 5s^2 + 4s}$$

- **>> num1=150*[1 2 7]**
>> den1=[1 5 4 0]
>> G1=tf(num1,den1)

- **Factored form – numerator in factor form is divided by denominator in factor form.**

$$- G_2(s) = \frac{20(s + 2)(s + 4)}{(s + 7)(s + 8)(s + 9)}$$

- **>> K=20**
>> num2=[-2 -4]
>> den2=[-7 -8 -9]
>> G2=zpk(num2,den2,K)

- **Rational expression in ‘s’ method**
- **This method allows you to type in the transfer function as you normally would write it.**
- **The statement $s=tf('s')$ must precede the transfer function you wish to type in (in polynomial form), which is equivalent to $G=tf(num,den)$**
- **>> s=tf('s')**
>> G1=150*(s^2+2*s+7)/[s*(s^2+5*s+4)]
>> G2=20*(s+2)*(s+4)/[(s+7)*(s+8)*(s+9)]

- The statement $s=zpk('s')$ must precede the transfer function you wish to type in (in polynomial form), which is equivalent to $G=zpk(num,den,K)$
 - `>> s=zpk('s')`
 - `>> G1=150*(s^2+2*s+7)/[s*(s^2+5*s+4)]`
 - `>> G2=20*(s+2)*(s+4)/[(s+7)*(s+8)*(s+9)]`

- Transfer function can also be converted between polynomial form containing the coefficients and factored form containing the roots.
 - `tf2zp(numtf,dentf)` : converts the coefficients to roots
 - `>> numg1=150*[1 2 7]`
 - `>> deng1=[1 5 4 0]`
 - `>> [numg1zp,deng1zp]=tf2zp(numg1,deng1)`

 - `zp2tf(numzp,denzp,K)` : converts the roots to coefficients
 - `>> K=20`
 - `>> numg2=[-2 -4]`
 - `>> deng2=[-7 -8 -9]`
 - `>> [numg2tf,deng2tf]=zp2tf(numg2,deng2,K)`

- Reduction of simple subsystems
 - Combining two transfer function connected in series
 - `>> G3=G1*G2`

 - Combining two transfer function connected in parallel
 - `>> G4=G1+G2`

 - Obtaining a closed loop negative feedback transfer function
 - `>> G5=G1/(1+G1*G2)` *if G2 is the feedback tf*

D) TIME DOMAIN RESPONSES

- The response of a system can be viewed by using the *ltiview()* command; example – all the responses from the above transfer function can be obtained by
 - >> *ltiview(G1)*
 - >> *ltiview(G2)*
 - >> *ltiview(G3)*
 - >> *ltiview(G4)*
- From the *ltiview()*, we can obtain (by clicking the right button on the mouse with the pointer on the graph)
 - the output response from a step function input,
 - the plotting of poles and zeros of a system,
 - the characteristics of a system response
- We can also use another command (used especially in designing of a controller) to view the output response of a system : *sisotool()*.

E) MATLAB'S SIMULINK

- Another way of simulating a system with a given transfer function.
- Using the concept of block diagram visualization.
- Can be accessed by typing '*simulink*' in the Matlab workspace.
- Select blocks from the *Simulink Library Browser* – the transfer function block can be found in the '*Continuous*' library; the input signal blocks can be found in the '*Sources*' library; the output display blocks can be found in the '*Sinks*' library.

- All the necessary blocks can be selected by click-and-drag into the new file workspace.
- Lines for interconnection between blocks can be drawn by clicking-hold-and-drag to the required destination.
- The parameters for every block can be chosen or changed by double-clicking the required block.
- Simulation can be started by selecting from the menu bar 'Simulation' and 'Start'.
- After the simulation has finished running, the output can be visualized by 'double-clicking' the *Sinks* block, respectively.
- Further and details notes on using the MATLAB can be found in Appendix B, C and D of the N. Nise textbook (pgs. 852-939).